

1 **In the claims:**

2 1. A method for in-line error detection and correction using wires 0 to $k-1$,
3 and symbols 0 to n , said method comprising steps of:

4 calculating a horizontal parity (HP[i]) for $i=0$ to $n-2$, where n is a number of

5 symbols used, and $HP[i] = \bigoplus_{x=0}^{k-1} b[x][i]$, and k is a number of wires used;

6 calculating an extended parity (EP) = $\sum_{x=0}^{k-1} \sum_{y=0}^{n-1} b[x][y] \alpha^{(x+y+B)}$, where B a degree of

7 primitive polynomial+1 and a number of bits in a syndrome;

8 sending contents of the horizontal parity along wire 0 of k wires, where HP[0] is
9 in symbol 0, HP[1] is in symbol 1, ... ,HP[$n-2$] is in symbol $n-2$;

10 calculating an overall parity (OP) where the OP is an exclusive-or of the
11 horizontal and extended parities;

12 sending check bits along the wires in symbol 0, wherein the check bits comprise
13 the extended parity, the horizontal parity and the overall parity;

14 sending information bits in symbols 1.. $n-1$, wherein symbol[i] carries bits
15 $b[k-1..0][i]$;

16 determining whether check bits have an error;

17 calculating a syndrome 0 and a syndrome 1, wherein syndrome 0 is a B -bit

18 quantity $\{e_{B-1}, \dots, e_2, e_1, e_0\}$ such that $e[i] = \bigoplus_{x=0}^k b[x][i+1] \oplus HP[i]$, where $HP[i] =$

19 $b[i+1][0..7]$, and wherein syndrome 1 is a summation of the extended parity and seven
20 degree polynomial;

21 determining whether bit i in wire j contains an error; and

22 if bit i in wire j contains an error, then fixing the bit error by flipping the
23 erroneous bit.

24 2. A method for in-line error detection and correction using wires 0 to $k-1$,
25 and symbols 0 to n , where information bits and symbols are sent along wires 0 to k , said
26 method comprising steps of:

27 calculating check bits from information bits, wherein the check bits comprise
28 horizontal parity, extended parity and overall parity of the information;

29 sending the check bits along wires 0 to $k-1$, wherein information is sent along the
30 same wires;

1 determining whether an error exists in the sent information using syndromes
2 generated from the check bits, wherein syndrome 0 is obtained from the horizontal parity
3 (HP) bits by taking an exclusive-OR (XOR'ing) of the information bits with the HP bits
4 and wherein syndrome 1 comprises a degree $n-1$ polynomial; and
5 correcting single wire errors determined using the syndromes.

6 3. The method as recited in claim 2, wherein the horizontal parity (HP[i]), for
7 $i=0$ to $n-2$, is $HP[i] = \bigoplus_{x=0}^{k-1} b[x][i]$, where n is a number of symbols used, and k is a number
8 of wires used, and wherein the extended parity (EP) is $\sum_{x=0}^{k-1} \sum_{y=0}^{n-1} b[x][y] \alpha^{(x+y+B)}$, where B a
9 degree of primitive polynomial + 1 and a number of bits in a syndrome.

10 4. The method as recited in claim 3, wherein contents of the horizontal parity
11 are sent along wire 0 of k wires, where HP[0] is in symbol 0, HP[1] is in symbol 1, ... ,
12 and HP[$n-2$] is in symbol $n-2$.

13 5. An apparatus for in-line error detection and correction using wires 0 to $k-1$,
14 and symbols 0 to n , comprising:
15 an encoder for calculating a horizontal parity (HP), extended parity (EP) and
16 overall parity (OP) for information bits, wherein the horizontal parity (HP[i]) for $i=0$ to
17 $n-2$, where n is a number of symbols used, and $HP[i] = \bigoplus_{x=0}^k b[x][i]$, and k is a number of
18 wires used, and wherein the extended parity (EP) is $\sum_{x=0}^{k-1} \sum_{y=0}^{n-1} b[x][y] \alpha^{(x+y+B)}$, where B a
19 degree of primitive polynomial+1 and a number of bits in a syndrome, and wherein the
20 overall parity (OP) is an exclusive-or of the HP and the EP;
21 means for sending the information bits and calculated parity bits across wires 0 to
22 k , wherein check bits are sent along the wires in symbol 0, wherein the check bits
23 comprise the extended parity, the horizontal parity and the overall parity, and wherein
24 information bits are sent in symbols 1.. $n-1$, where symbol[i] carries bits $b[k-1..0][i]$, and
25 wherein horizontal parity (HP) is sent along wire 0, where HP[0] is in symbol 0, HP[1] is
26 in symbol 1, ... ,HP[$n-2$] is in symbol $n-2$;
27 means for determining whether check bits have an error, comprising decoder for
28 calculating a syndrome 0 and a syndrome 1, wherein syndrome 0 is a B -bit quantity $\{eB-$
29 $1, ..., e2, e1, e0\}$ such that $e[i] = \bigoplus_{x=0}^{17} b[x][i+1] \oplus HP[i]$, where $HP[i] = b[i+1][0..7]$, and

1 wherein syndrome 1 is a summation of the extended parity and seven degree polynomial;
2 and
3 means for fixing bit errors determined by the determining means.

4 6. An apparatus for in-line error detection and correction using wires 0 to $k-1$,
5 and symbols 0 to n , comprising:
6 an encoder for calculating check bits from information bits, wherein the check bits
7 comprise horizontal parity, extended parity and overall parity of the information;
8 a transmitter for sending the check bits along wires 0 to $k-1$, wherein information
9 is sent along the same wires;
10 means for determining whether an error exists in the sent information using
11 syndromes generated from the check bits, wherein syndrome 0 is obtained from the
12 horizontal parity (HP) bits by taking an exclusive-OR (XOR'ing) of the information bits
13 with the HP bits and wherein syndrome 1 comprises a degree $n-1$ polynomial; and
14 error correction component for correcting single wire errors determined using the
15 syndromes.

16 7. The apparatus as recited in claim 6, wherein the horizontal parity (HP[i]),
17 for $i=0$ to $n-2$, is $HP[i] = \bigoplus_{x=0}^k b[x][i]$, where n is a number of symbols used, and k is a
18 number of wires used, and wherein the extended parity (EP) is $\sum_{x=0}^{k-1} \sum_{y=0}^{n-1} b[x][y] \alpha^{(x+y+B)}$,
19 where B a degree of primitive polynomial + 1 and a number of bits in a syndrome.

20 8. The apparatus as recited in claim 7, wherein contents of the horizontal
21 parity are sent along wire 0 of k wires, where HP[0] is in symbol 0, HP[1] is in symbol 1,
22 ... , and HP[$n-2$] is in symbol $n-2$.